

Calibration accuracy of Proba-3/ASPIICS white-light coronagraph

Sergei Shestov

Royal Observatory of Belgium

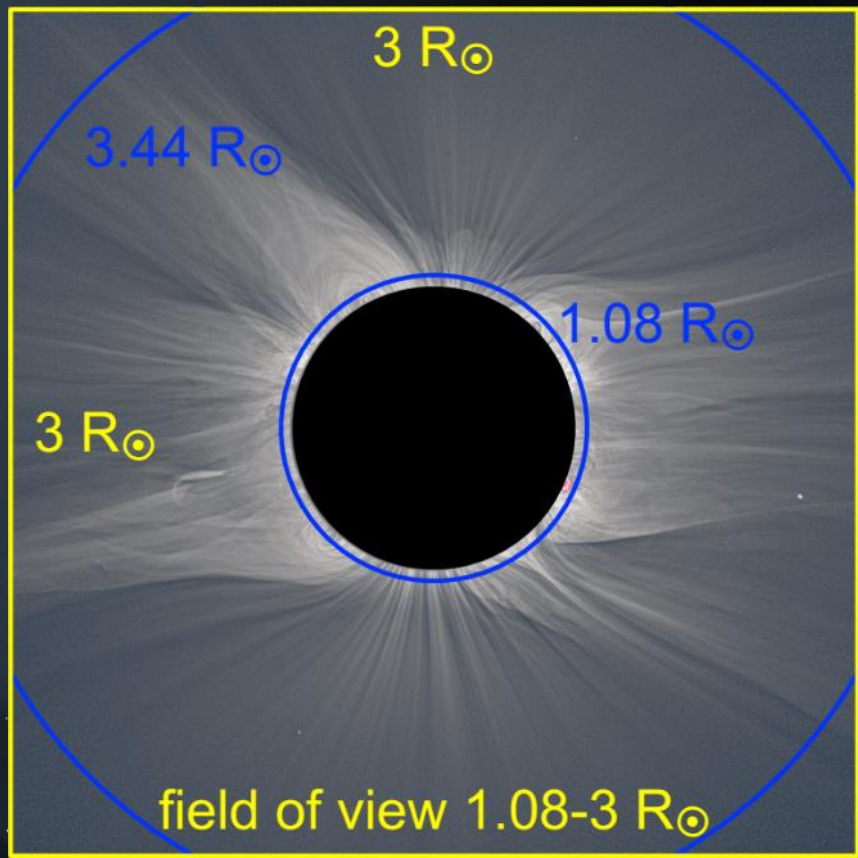
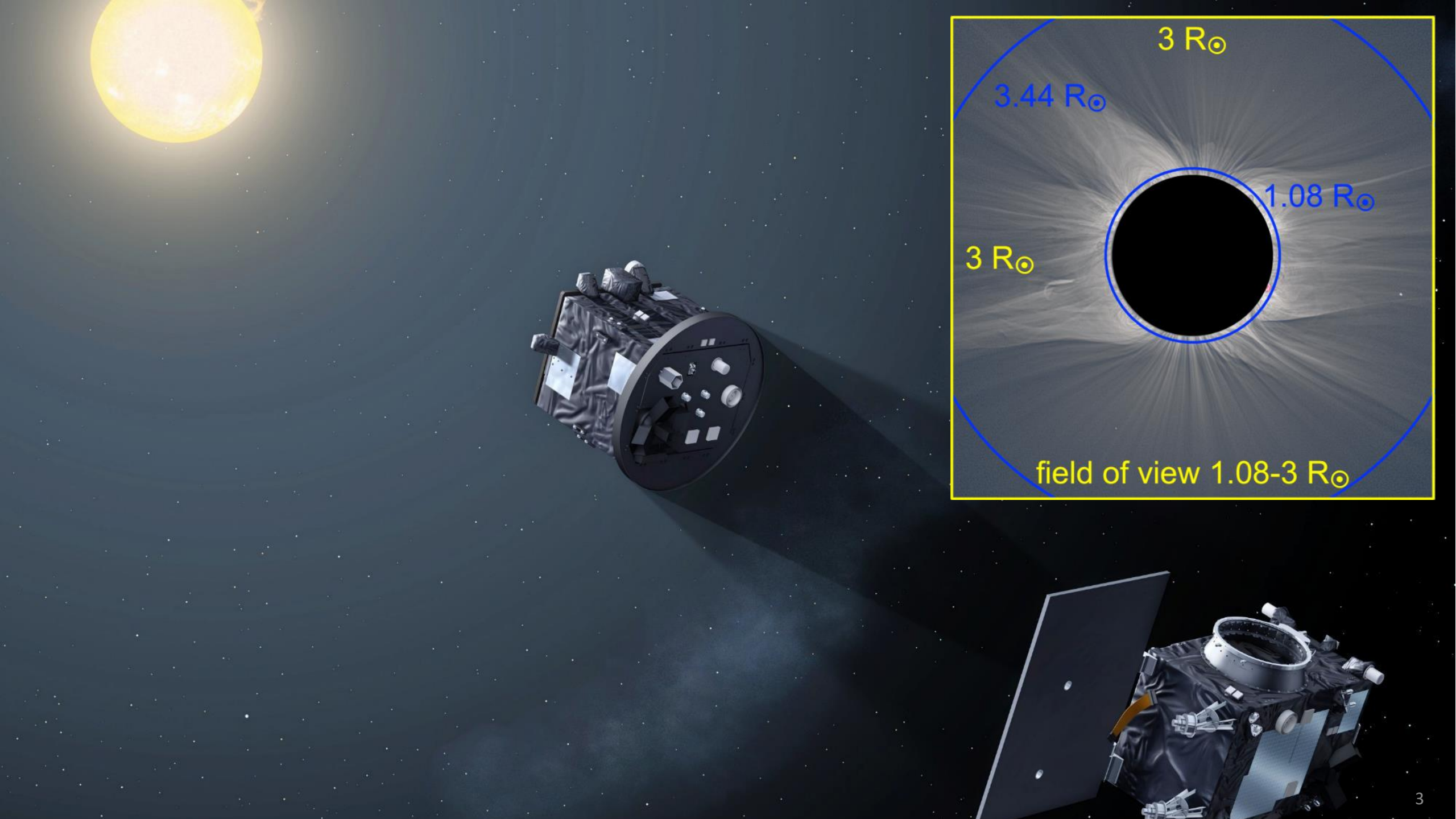


*Solar-Terrestrial Centre of Excellence
SIDC, Royal Observatory of Belgium*

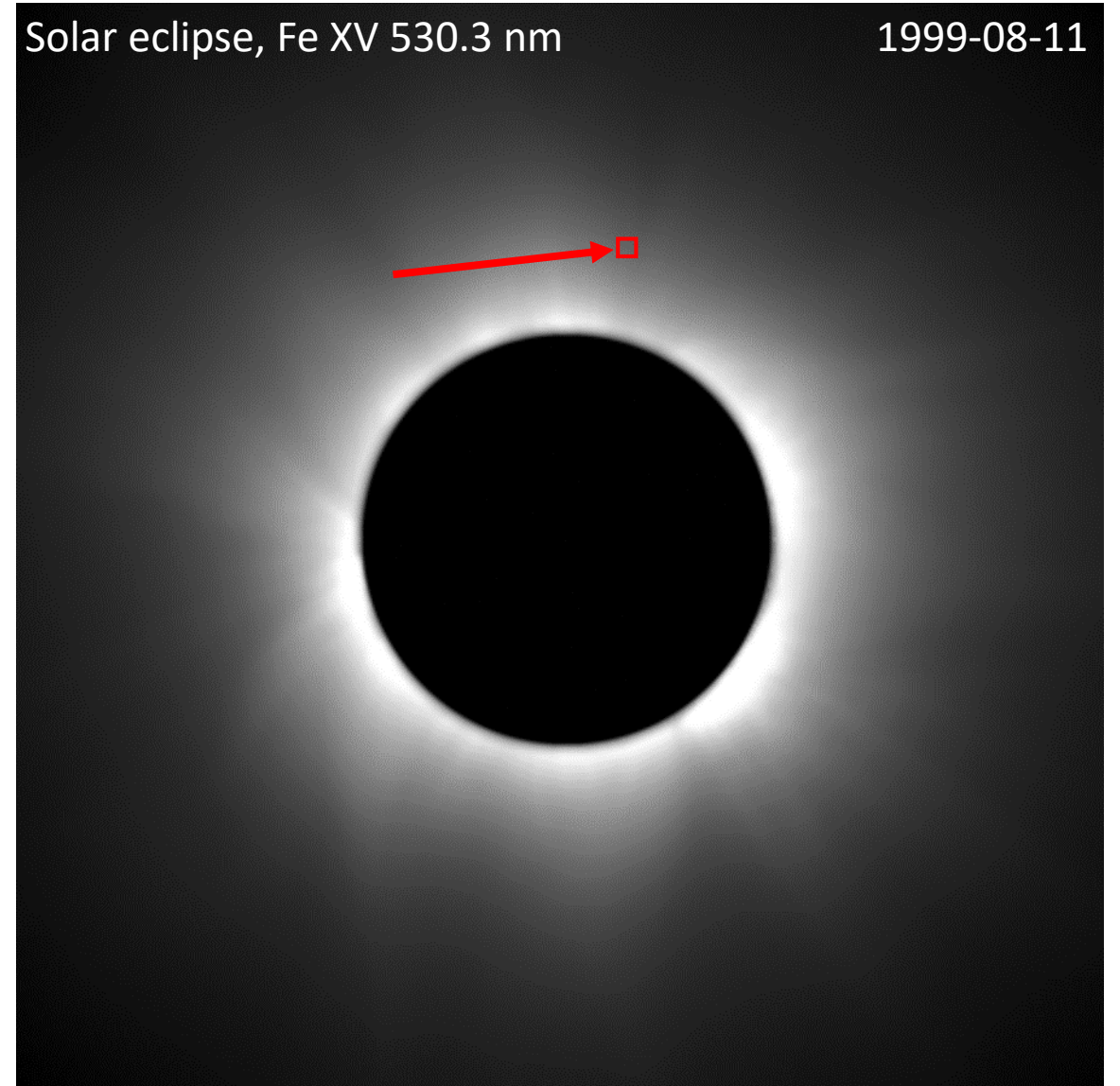
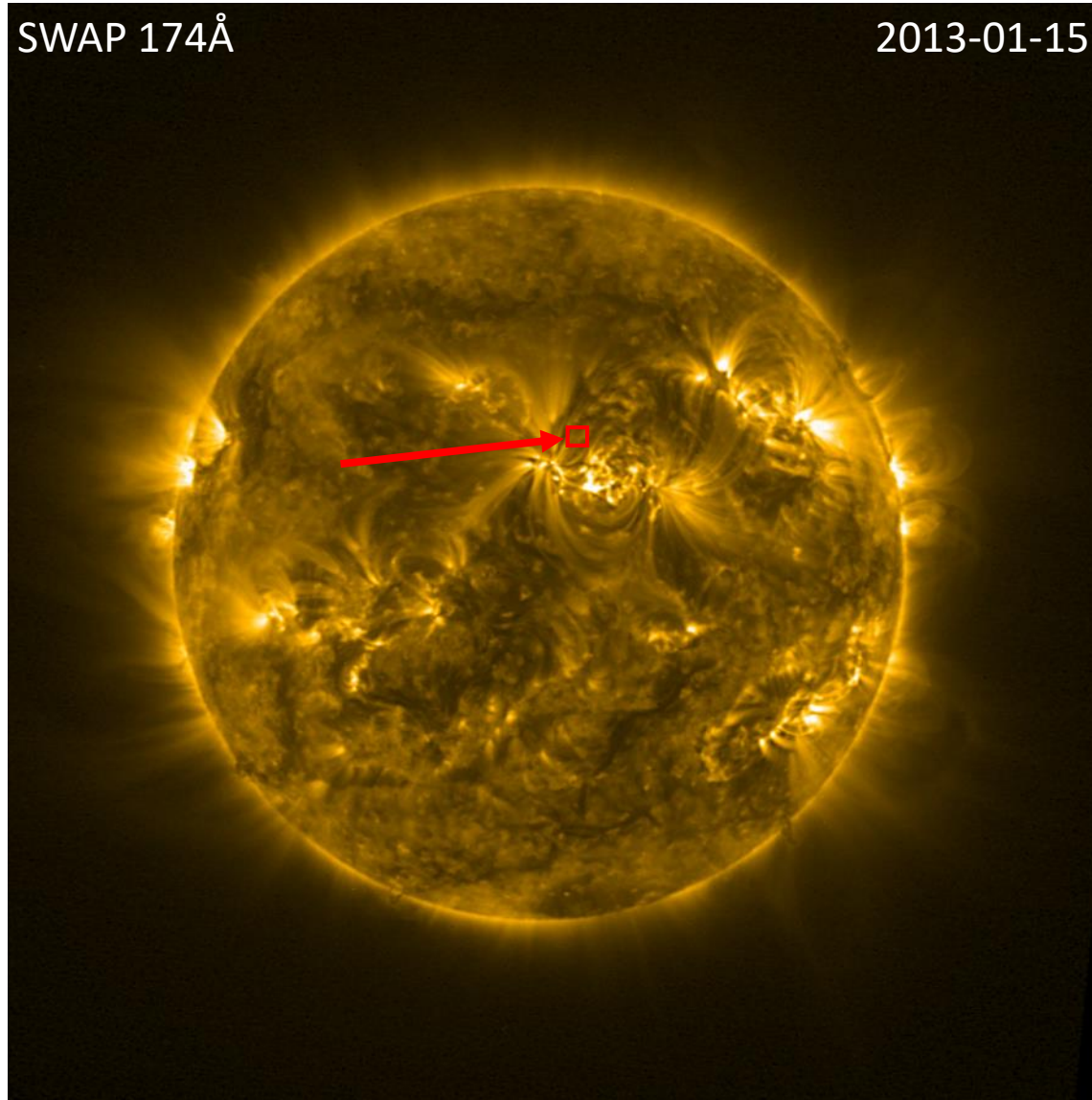
White-light – easy spectral region

- No strong degradation of multi-layer structures & thin-film filters;
- No necessity of fancy radiation sources (synchrotron) and complicated experimental setups;
- Straightforward to create wide beam, filling the whole aperture, using of monochromatic light etc.;
- Relatively slow degradation known degradation of sensitivity ($\sim 0.5\%/year$);
- “Easy” model of coronal spectrum in white-light;

- Given all these simplifications, what accuracy of calibration we may expect?



EUV vs White-light imaging system



Photometric sensitivity

$$M = B \cdot \frac{\pi}{4} \left(\frac{D}{f} \right)^2 dx^2$$

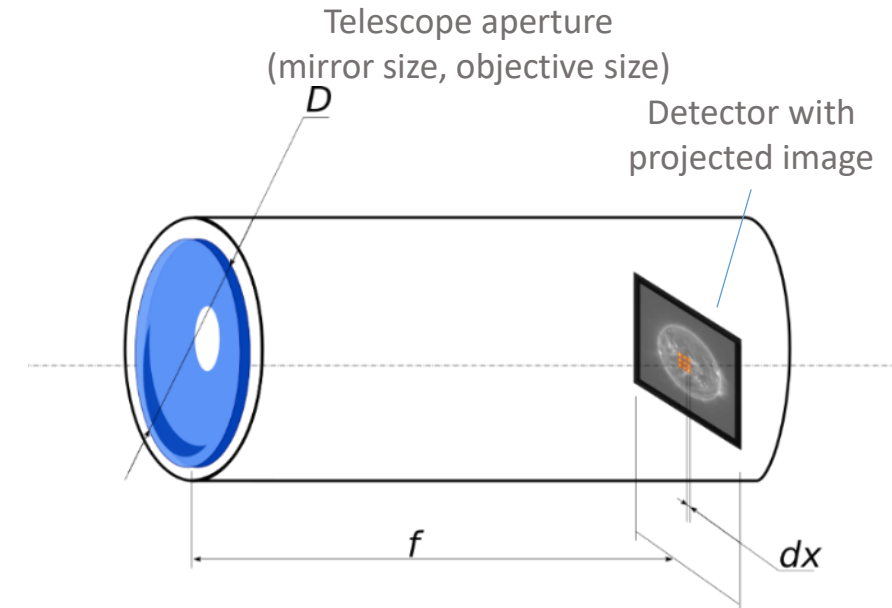
$$\left[\frac{\text{photons}}{\text{pixel s}} \right] \quad \left[\frac{\text{photons}}{\text{s sr cm}^2} \right] [\text{sr}] [\text{cm}^2]$$

$$[\text{DN}] \quad [\%] \quad \left[\frac{\text{el.}}{\text{photon}} \right] \left[\frac{\text{DN}}{\text{el.}} \right]$$

$$N = B \cdot \frac{\pi}{4} \left(\frac{D}{f} \right)^2 dx^2 T(\lambda) t_{exp} q(\lambda) g + \text{DC} t_{exp} g + \text{BIAS}$$

$$\left[\frac{\text{el.}}{\text{s}} \right] [\text{s}] \left[\frac{\text{DN}}{\text{el.}} \right] \quad [\text{DN}]$$

$$B = \frac{N - \text{DC}' \cdot t_{exp} - \text{BIAS}'}{\kappa} - B_D - B_G - B_{Sc}$$

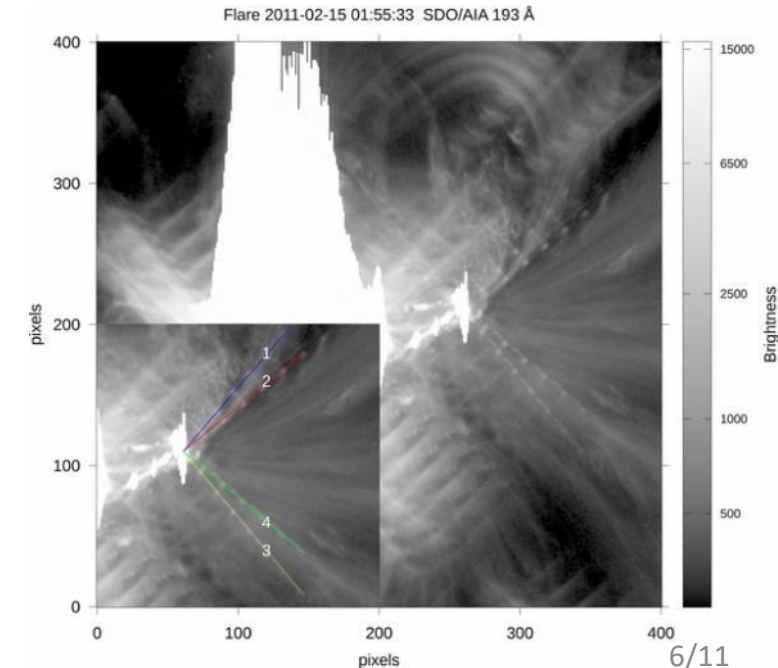
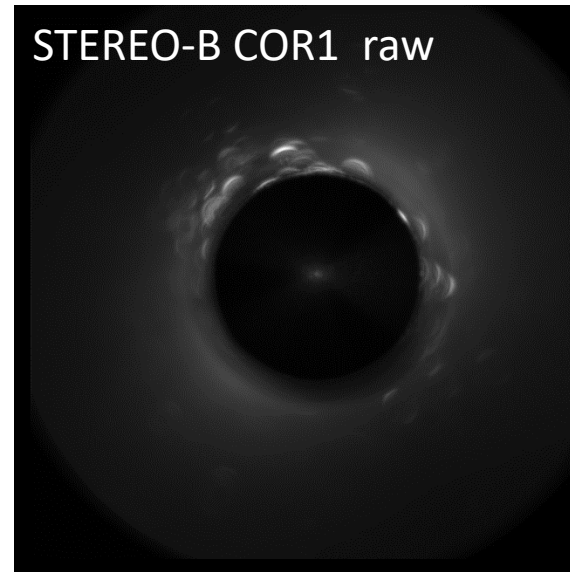
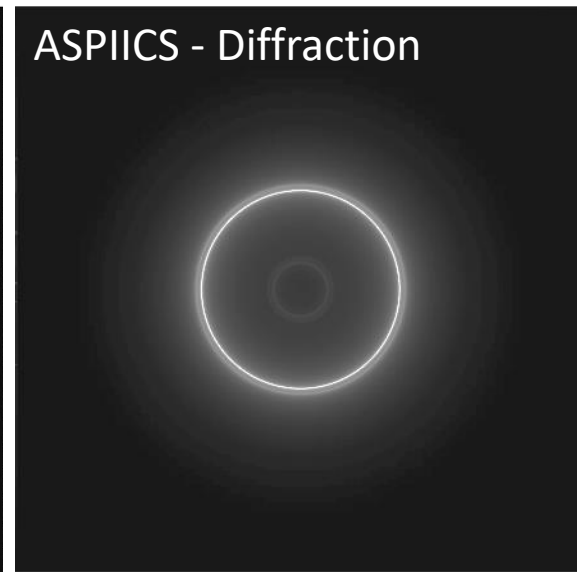
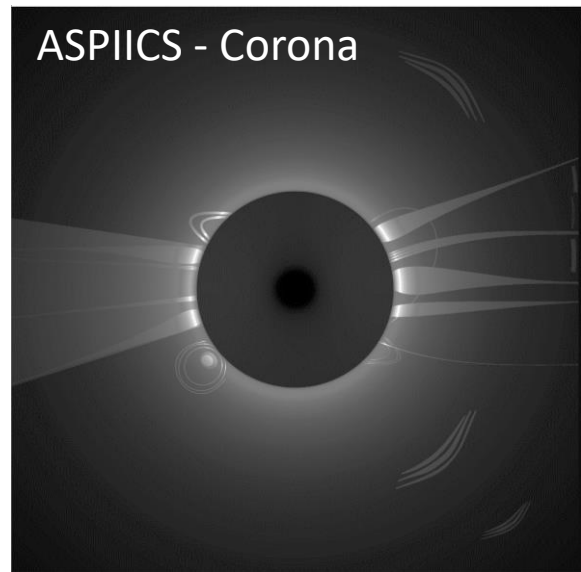


Photometric sensitivity

$$B = \frac{N - DC' \cdot t_{exp} - BIAS'}{\kappa} - B_D - B_G - B_{Sc}$$

$$\kappa = \frac{\pi}{4} \left(\frac{D}{f}\right)^2 dx^2 T(\lambda) t_{exp} q(\lambda) g$$

- Vignetting (i.e. filter mesh, variation of T with FOV)
- Optical throughput
- Detector flat field and sensitivity
- f, D, dx

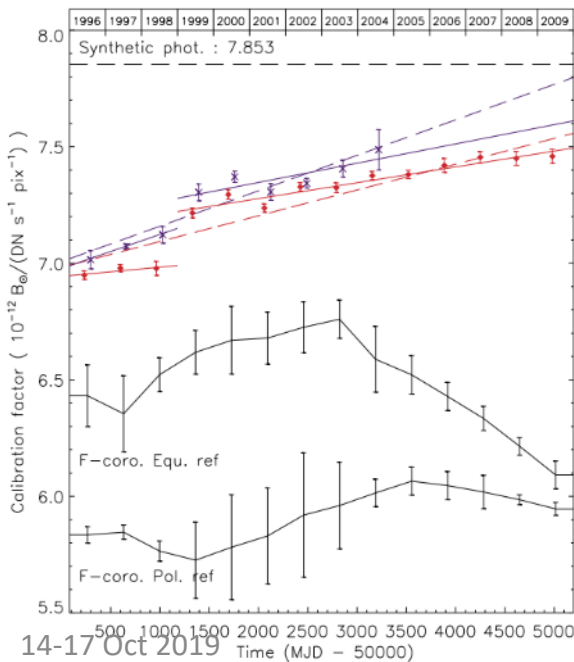


Photometric sensitivity

$$B = \frac{N - DC' \cdot t_{exp} - BIAS'}{\kappa} - B_D - B_G - B_{Sc}$$

$$\kappa = \frac{\pi}{4} \left(\frac{D}{f}\right)^2 dx^2 T(\lambda) t_{exp} q(\lambda) g$$

- Vignetting (i.e. filter mesh, variation of T with FOV)
- Optical throughput
- Detector flat field and sensitivity
- f, D, dx



LASCO C2: Gardès et al. 2013

(also Llebaria et al. 2006;
Colaninno & Howard 2015 – different result)

LASCO C3: Thernisien et al. 2006 – ±6.7%

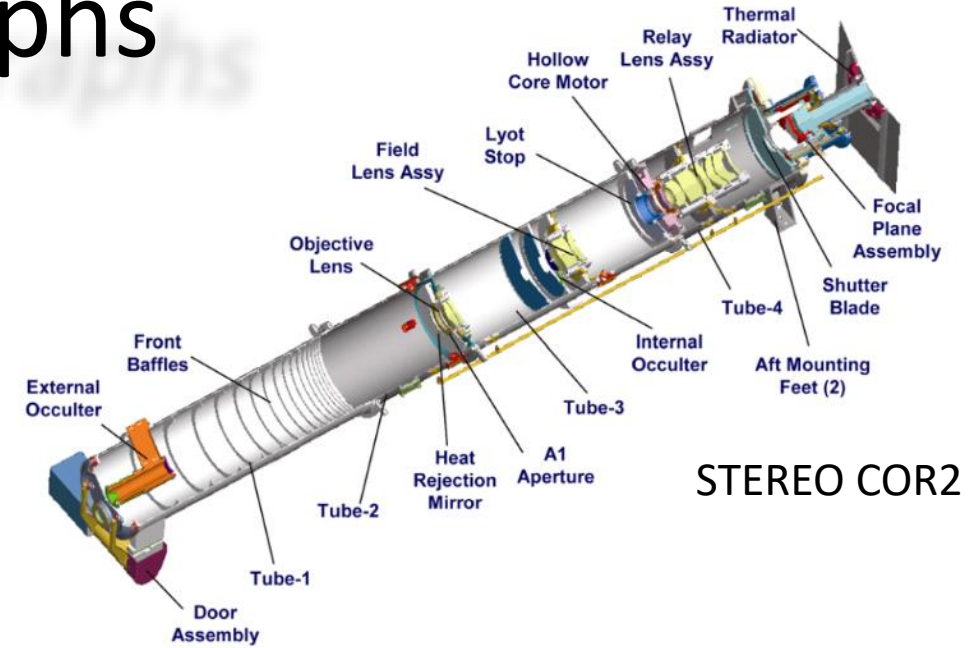
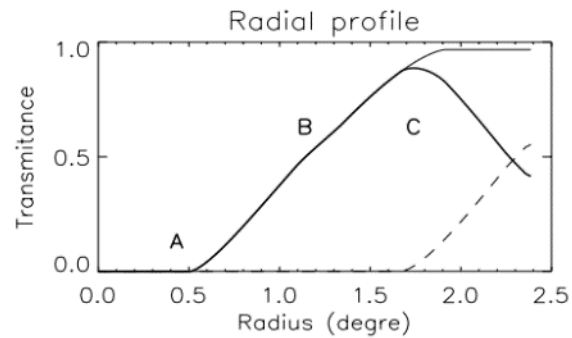
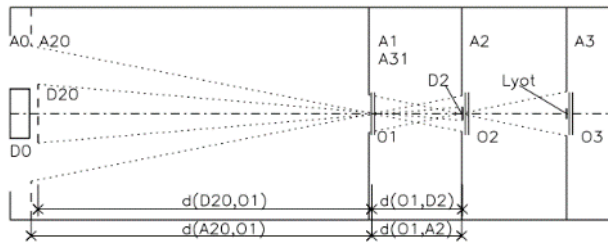
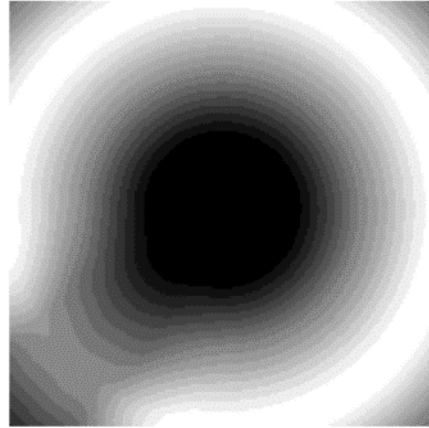
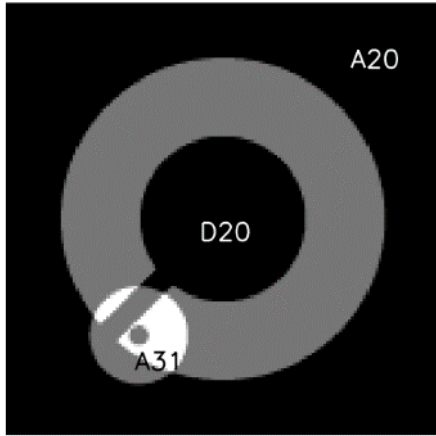
COR1 STEREO: Thompson and Reginald 2008

Table 3 Comparison of the preflight calibration factors (MSB s DN⁻¹) with those determined from the Jupiter observations.

| Telescope | Preflight | Jupiter |
|-----------|------------------------|-------------------------|
| COR1-A | 7.10×10^{-11} | 6.578×10^{-11} |
| COR1-B | 5.95×10^{-11} | 7.080×10^{-11} |

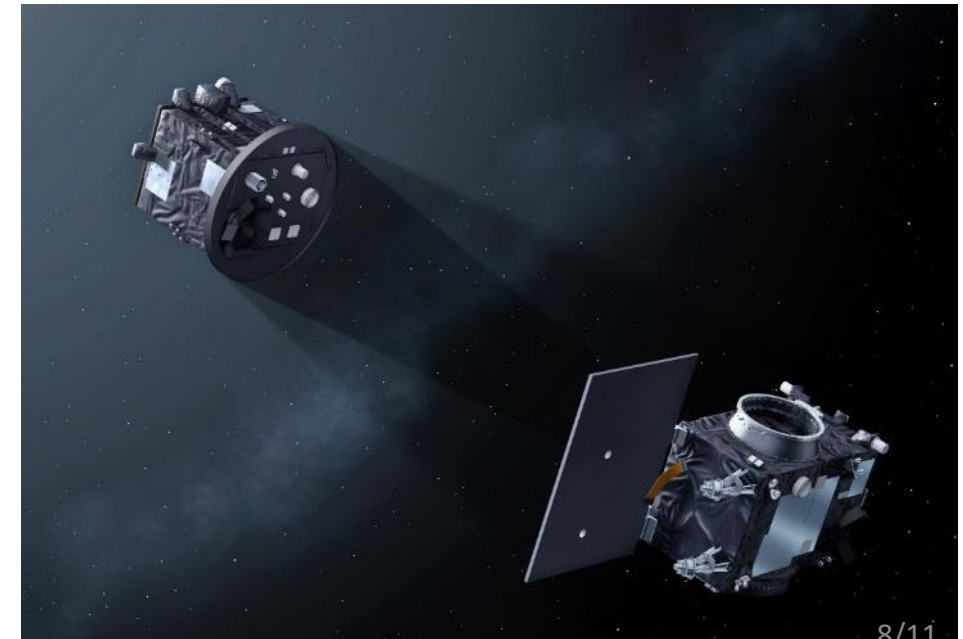
Vignetting in external coronagraphs

LASCO C2 vignetting



STEREO COR2

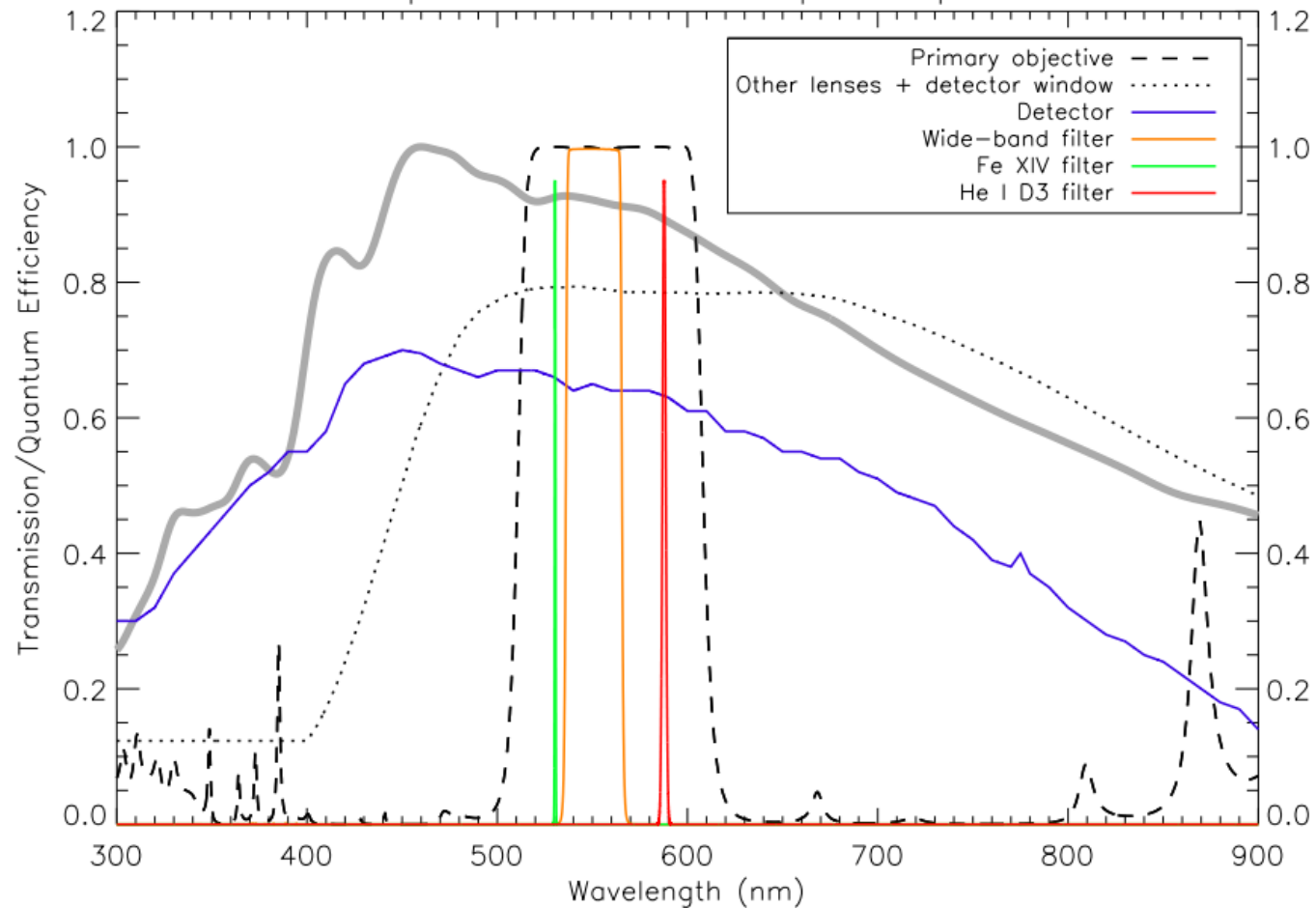
ASPIICS



Spectral response

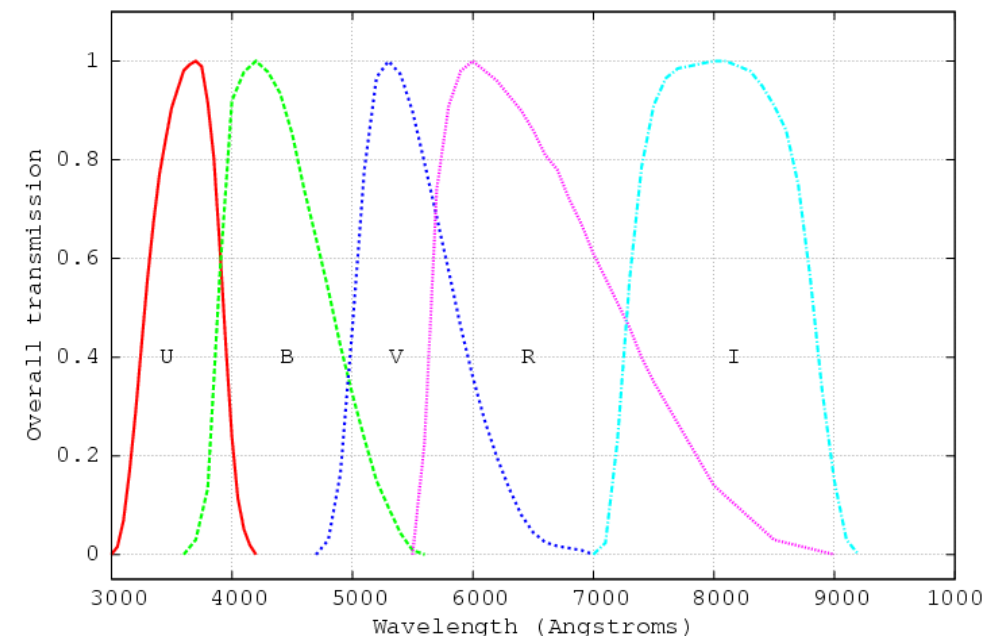
ASPIICS spectral response

Components in the total spectral profile



[Bessell, PASP 102, 1181 \(1990\)](#)

The Bessell approximations to UBVRI passbands

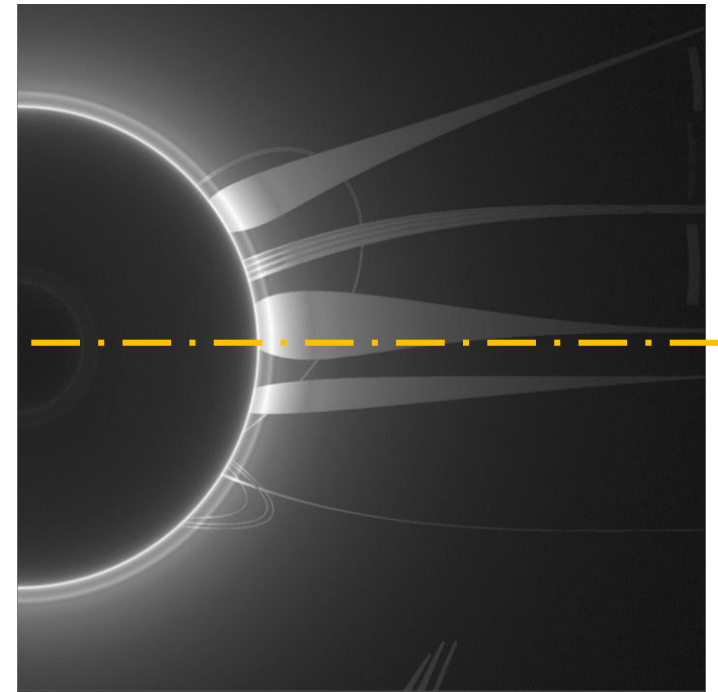
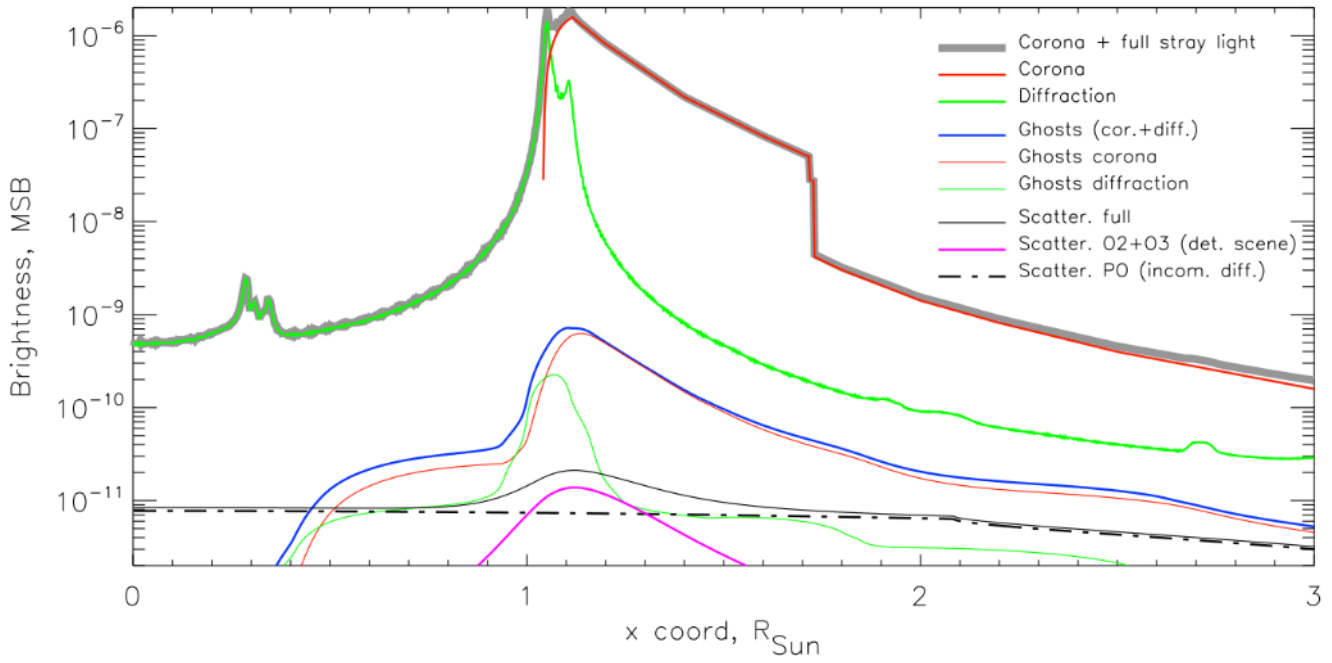
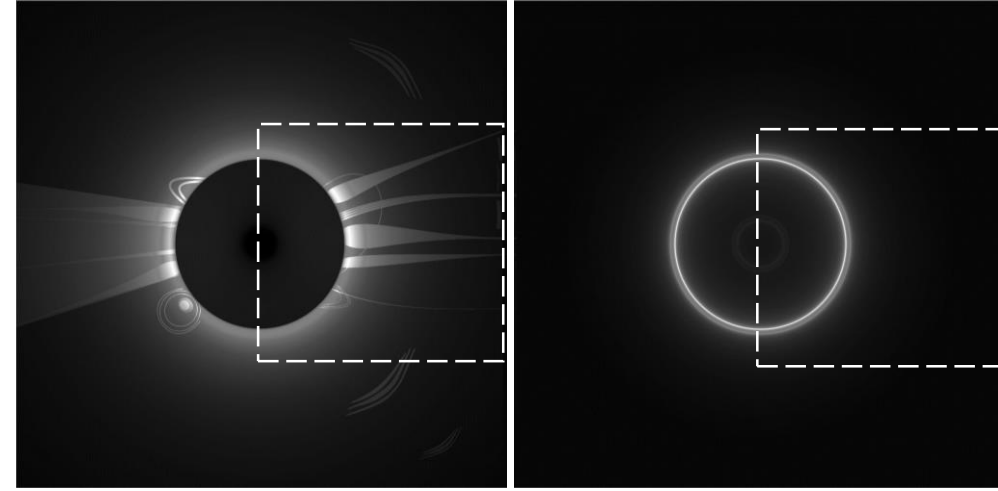


Also: measuring star intensity can be tricky – either aperture method, or PSF fitting

Uncertainties in photometric sensitivity

$$B = \frac{N - DC' \cdot t_{exp} - BIAS'}{\kappa} - B_D - B_G - B_{Sc}$$

$$\Delta_{\Sigma} \quad \Delta_P \quad \Delta_D \quad \Delta_G \quad \Delta_{Sc}$$

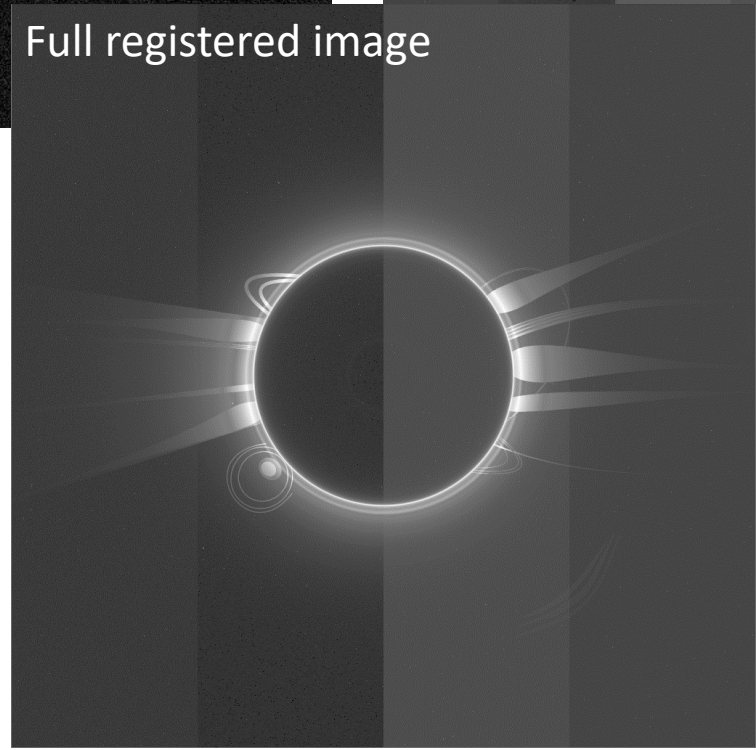
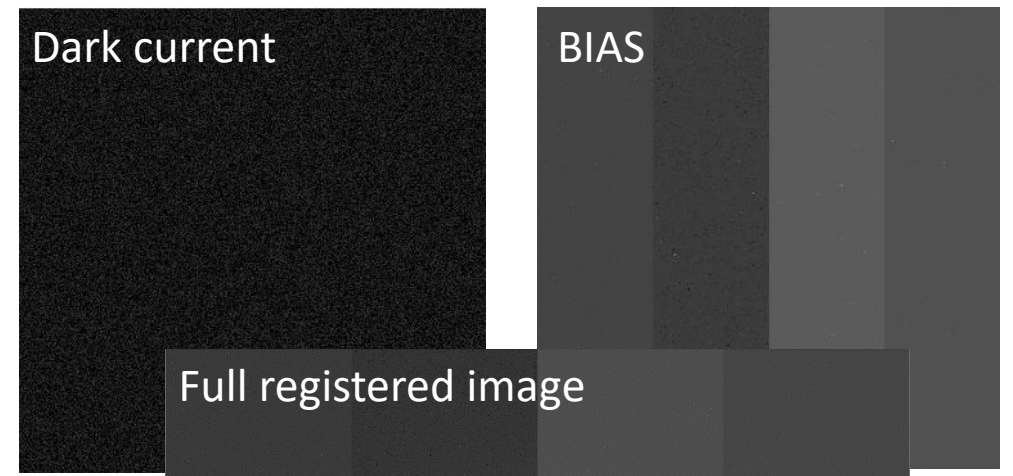
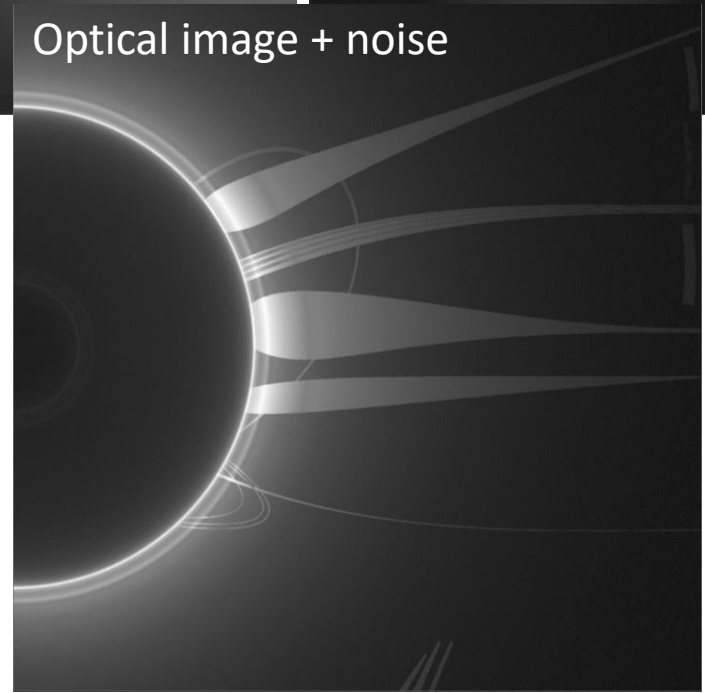
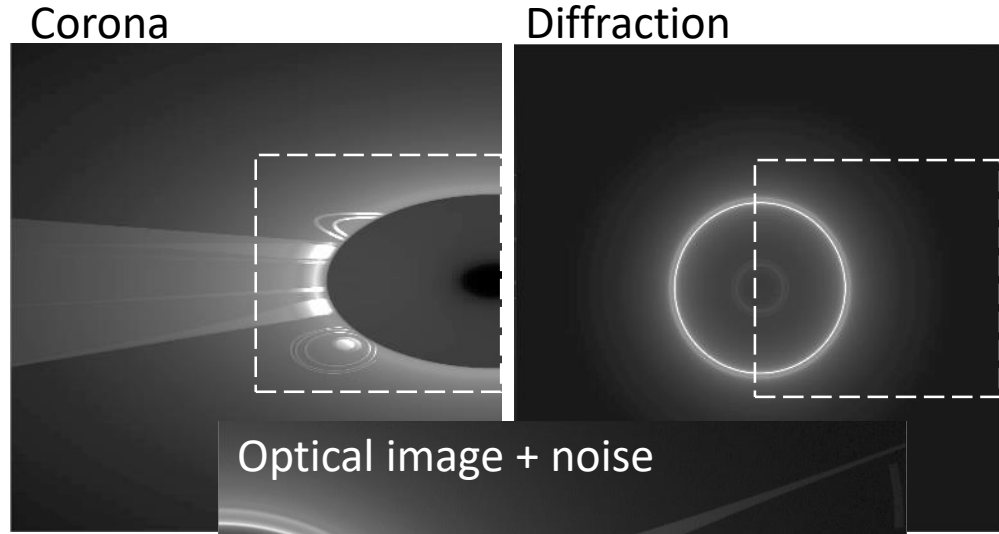


Discussion

- Calibration accuracy can be inferred by applying different methods;
- Known coronagraphs – discrepancy up to 10%;
- Calibration using stars is the most reliable; however requires a lot of observational time;
- Influence of stray light for coronal photometry;

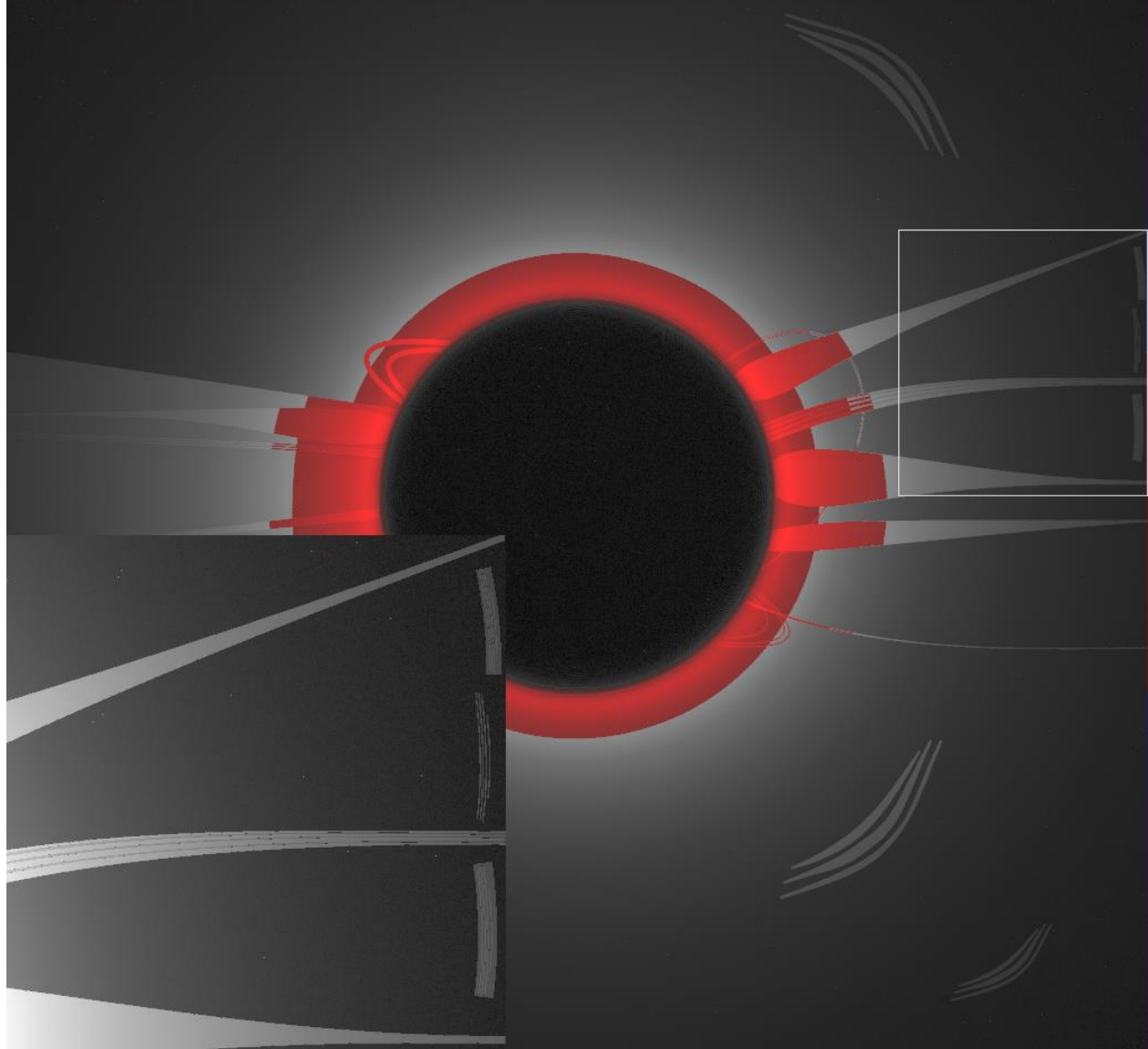
Thank you!

Example for ASPIICS

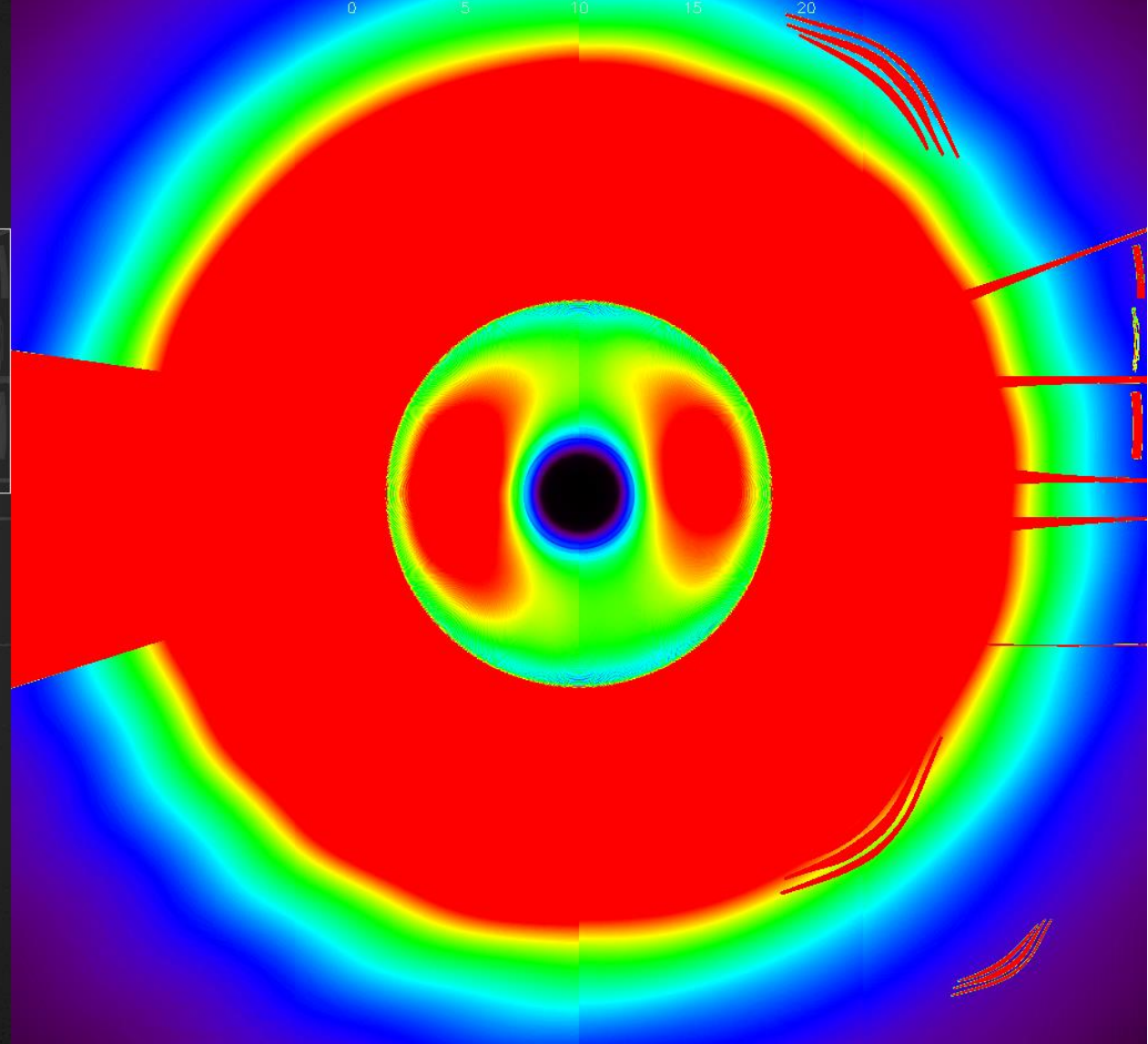
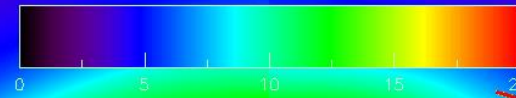


APSIICS, wide-band filter, $t_{\text{exp}} = 10 \text{ s}$

Processed: ASPIICS_synthetic_10.0sec_filterWB.fits
Red pixels — saturation



SNR Ratio



APSIICS, wide-band filter, $t_{exp}=0.1$ s

$$B_{Cor} = \frac{N_i - DC' t_{exp} - BIAS'}{\kappa} - B_{SL}$$

$$\delta \sim 10\%$$

$$\Delta_{\Sigma} \quad \Delta = \delta \cdot A \quad \Delta_{SL}$$

