

What can limit the effectiveness of magnetic
reconnection?

How good is mass-correction for explaining the rate
reduction in the presence of cold ions?

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Mass-loading correction - how good is it?

Sweet-Parker scaling can be obtained using the laws of conservation of mass, energy, and magnetic flux

$$\oint d\vec{S} \cdot (\rho \vec{V}) = 0 \quad \left(= \frac{\partial \rho}{\partial t} \right) \quad \text{steady-state \& incompressibility : } \frac{\rho_{in} V_{in}}{\rho_{out} V_{out}} \rightarrow \frac{V_{in}}{V_{out}} \sim \frac{\delta}{L} \quad , \quad \rho_{in} = \rho_{out} \quad \text{(IDR scales: density in exhaust usually larger than that in the inflow region)}$$

$$\oint d\vec{S} \cdot \left(\frac{\rho v^2}{2} + \frac{\gamma}{\gamma - 1} P + B^2 \right) V = 0 \quad \text{steady-state \& no pressure cont.} \quad V_{out} \sim V_A \quad \text{Ion outflow typically } 0.5V_A \text{ in PIC (thermal and magnetic enthalpy)}$$

$$\oint d\vec{S} \cdot \left(\rho v \vec{v} + \left(P + \frac{B^2}{2} \right) \vec{I} - B \vec{B} \right) = 0 \quad \text{Across: } P \sim B^2/2 \quad , \quad \text{Along: } P \sim \rho v v$$

$$\text{Alfven speed: } V_A = \frac{B}{\sqrt{\rho}} \quad \text{(based on upstream values)}$$

If inflow is cold: Must be heated to preserve pressure balance with outside magnetic field. Requires energy
But this mean lower inflow plasma beta

Mass-loading does not depend on temperature because enthalpy (*and* Poynting flux) is neglected

Mass-loading correction - how good is it?

Rate is generally faster than predicted by mass-loading

$$\frac{V_{in}}{V_A} \sim \frac{\delta}{L} \sim \frac{B_z}{B_x} \quad (\text{incompressibility assumed})$$

$$E \sim V_{in} B_x \sim V_{out} B_z \sim V_A B_z \sim V_A B_x \frac{\delta}{L} \rightarrow \frac{E}{V_A B_x} \sim \frac{\delta}{L}$$

Alfven speed: $V_A = \frac{B_{in}}{\sqrt{\rho_{in}}}$

