

# Origin of whistler waves during asymmetric guide field reconnection

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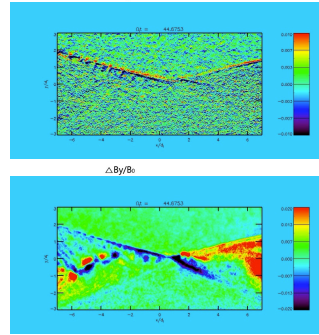
## Background and Motivation

- We investigate asymmetric guide field reconnection to understand kinetic physics of electrons in the Earth's magnetopause, by means of 2D particle-in-cell (PIC) simulation.
- Velocity distribution functions (VDF) in the parallel and perpendicular planes of the local magnetic field indicate kinetics of plasma particles including various properties of electron beams (gyrotropy/nongyrotropy, polarity, intensity, etc.).
- MMS observations of the Earth's magnetopause (Le Contel et al. 2016, Wilder et al. 2016, Cao et al. 2017, Zhou et al. 2018, Burch et al. 2018, Yoo et al. 2019) show that there are whistler waves in the electron/ion diffusion region and near/on the separatrices during asymmetric reconnection.
- PIC simulations (Fujimoto and Sydora, 2008, Chen et al. 2015) for symmetric reconnection show whistler instabilities due to both temperature anisotropy and electron beams.

Where are whistler waves excited in asymmetric reconnection?

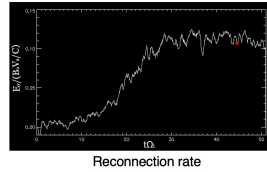
What physics (nongyrotropy, anisotropy, electron beams) is important in whistler waves in asymmetric reconnection?

## Wave propagation on the separatrices in the magnetosphere side and the electron diffusion region (EDR)

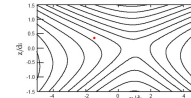


Electromagnetic wave propagation is found clearly in the separatrices at the magnetosphere side.

The range of wavelength is from 0.4d, to 0.8d. The frequency range is from 0.1 to 0.2 in the electron cyclotron frequency based on the local magnetic fields.

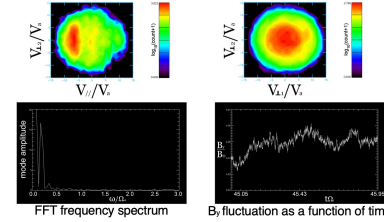


## Whistler wave activity during reconnection



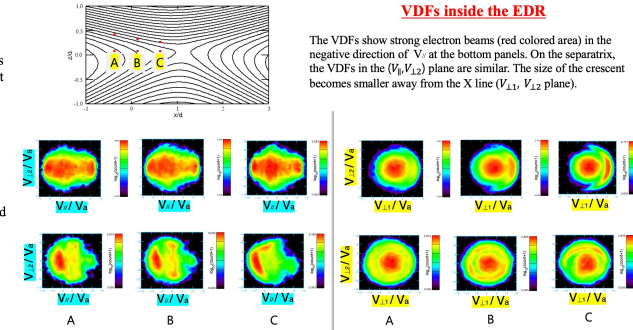
The period of the dominant B<sub>y</sub> wave is  $0.38\Omega_e$ , which matches the FFT dominant mode frequency  $0.17\Omega_e$  as

$$T\Omega_e = \frac{2\pi\Omega_e}{\omega} = \frac{2\pi\Omega_e}{0.17\Omega_e t} \approx 0.34$$



$V_x$  is parallel to the local magnetic field  
 $V_{x1} = b \times (V_e \times b)$   
 $V_{x2} = -V_e \times b$   
 where  $V_e$  is the electron fluid velocity

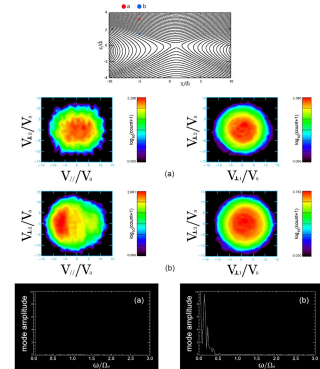
## VDFs inside the EDR



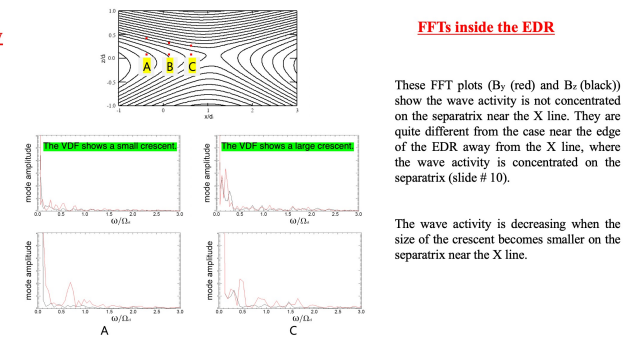
The VDFs show strong electron beams (red colored area) in the negative direction of  $V_x$  at the bottom panels. On the separatrix, the VDFs in the  $(V_x, V_{y2})$  plane are similar. The size of the crescent becomes smaller away from the X line ( $V_{x1}, V_{x2}$  plane).

## No electron beam, no wave activity

Fast Fourier transform (FFT) shows no wave excitation when there is no electron beam in the VDF at the location (a)-red point in the 2D plot. FFT in the location (b)-blue point (on the separatrix) presents large wave excitation, where there is an electron beam. The VDF in the blue point shows the electron beam with  $V_x = -10V_a \sim -5V_a$ .



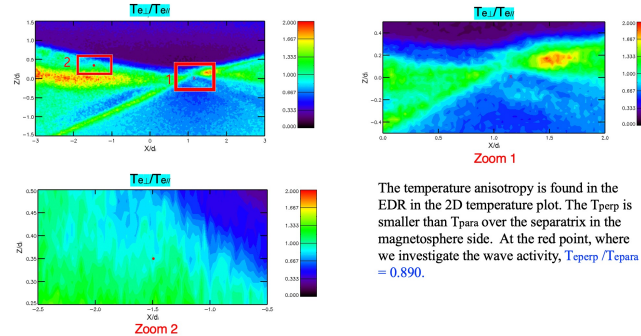
## FFTs inside the EDR



These FFT plots ( $B_y$  (red) and  $B_x$  (black)) show the wave activity is not concentrated on the separatrix near the X line. They are quite different from the case near the edge of the EDR away from the X line, where the wave activity is concentrated on the separatrix (slide # 10).

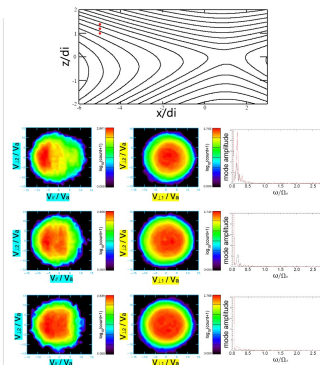
The wave activity is decreasing when the size of the crescent becomes smaller on the separatrix near the X line.

## Temperature anisotropy during reconnection



The temperature anisotropy is found in the EDR in the 2D temperature plot. The  $T_{\text{perp}}$  is smaller than  $T_{\text{para}}$  over the separatrix in the magnetosphere side. At the red point, where we investigate the wave activity,  $T_{\text{perp}}/T_{\text{para}} = 0.890$ .

## Midplane electrons decrease the wave activity at the edge of the EDR

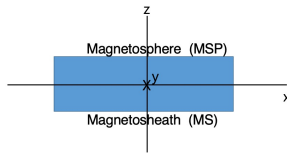


The VDFs show that the midplane components are larger away from the separatrix. FFTs ( $B_y$  (red) and  $B_x$  (black)) show less wave activity where there are more midplane electrons in the VDF at the edge of the EDR. The wave activity is concentrated on the separatrix at the edge of the EDR.

## Conclusions

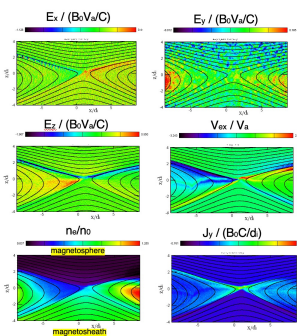
- We found the whistler mode in the electromagnetic waves in asymmetric guide field reconnection.
- The whistler waves we found are excited by the electron beam instability and temperature anisotropy.
- Midplane ( $V_x=0$ ) electrons in VDFs are also the key to control the wave activity.
- The wave activity is concentrated on the separatrix near the edge of the EDR.
- The wave activity is not concentrated on the separatrix and decreasing when the size of the crescent becomes smaller on the separatrix near the X line.

## 2D PIC simulation parameters



- Mass ratio ; 200
- Guide field ;  $0.3B_0$
- Temperature ratio  $T_i/T_e$  ; 2
- Ratio of the plasma frequency to the electron cyclotron frequency  $\omega_{pe}/\Omega_e$  ; 2
- Alfvén speed  $V_a = C/20\sqrt{2}$
- 1 grid = 0.025 d<sub>i</sub>
- $L_x \times L_z = 51.2d_i \times 25.6d_i$

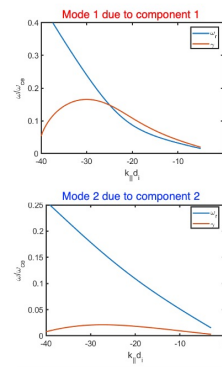
## Contour plots of field quantities



Electric fields show the Hall electric field and the reconnection field.

Electrons outflow from the x line along the separatrices in the magnetosphere side and inflow toward the x line along the separatrices in the magnetosheath side.

The electron outflows are asymmetry between the positive and negative x area and stronger in the negative x area due to the guide field.



## Linear numerical dispersion analysis about the wave

$$T_{e11} = 1.91m_e V_a^2, T_{e21} = 30.9m_e V_a^2, T_{e12} = 14.6m_e V_a^2, T_{e22} = 35.4m_e V_a^2, T_{i1} = 40.5m_e V_a^2, T_{i2} = 79.2V_a^2, V_{a1} = 0.0345c, m_i/m_e = 200, \omega_{pe1}/\Omega_{e1} = 2.05, Vel_{x1} = -6.97V_a, Vel_{x2} = -1.33V_a, Vel_{y1} = -0.530V_a$$

Component 1 : highly anisotropic fast electron beam  
 Component 2 : background slow electron beam

The two unstable modes (mode 1 & 2) have the maximum growth rates at the wavenumbers  $kd_{pe} = 29.5$  and  $27.3$ , respectively, and the real frequencies  $\omega = 0.245\Omega_e$  and  $0.16\Omega_e$ , respectively, which are consistent with the wavenumber  $kd_{pe} = 25.2$  and the frequency  $\omega = 0.17\Omega_e$  in the simulation.

The WHAMP result shows that the whistler waves are excited by the temperature anisotropy in the fast electron beam (mode 1) and the Landau resonance in the background slow electron beam (mode 2).